

# VARiD: Variation Detection in Color-Space and Letter-Space

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In this poster, we present VARiD - a Hidden Markov Model for SNP and indel identification with AB-SOLiD color-space as well as regular letter-space reads. VARiD combines both types of data in a single framework which allows for accurate predictions.

## Motivation

There are two types of sequencing methodologies: letter-space (Sanger, 454, Illumina, etc) and color-space (AB SOLiD). They have different sequencing biases, different inherent errors and different advantages, and we **combine information from these platforms**.

```
> letter_space_eg
TCAGCATCGGCAT
> color_space_eg
T212313230313
```

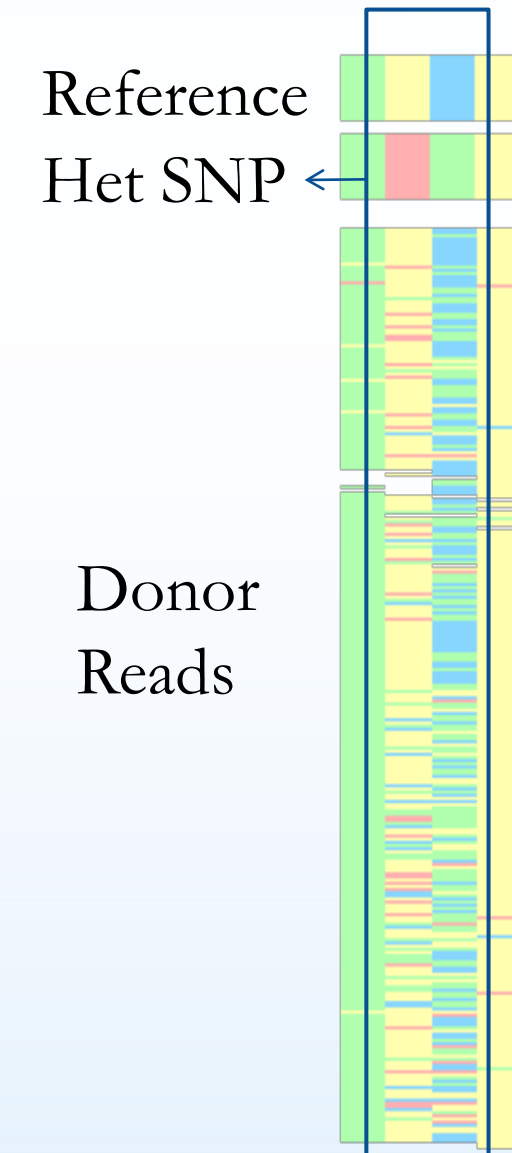
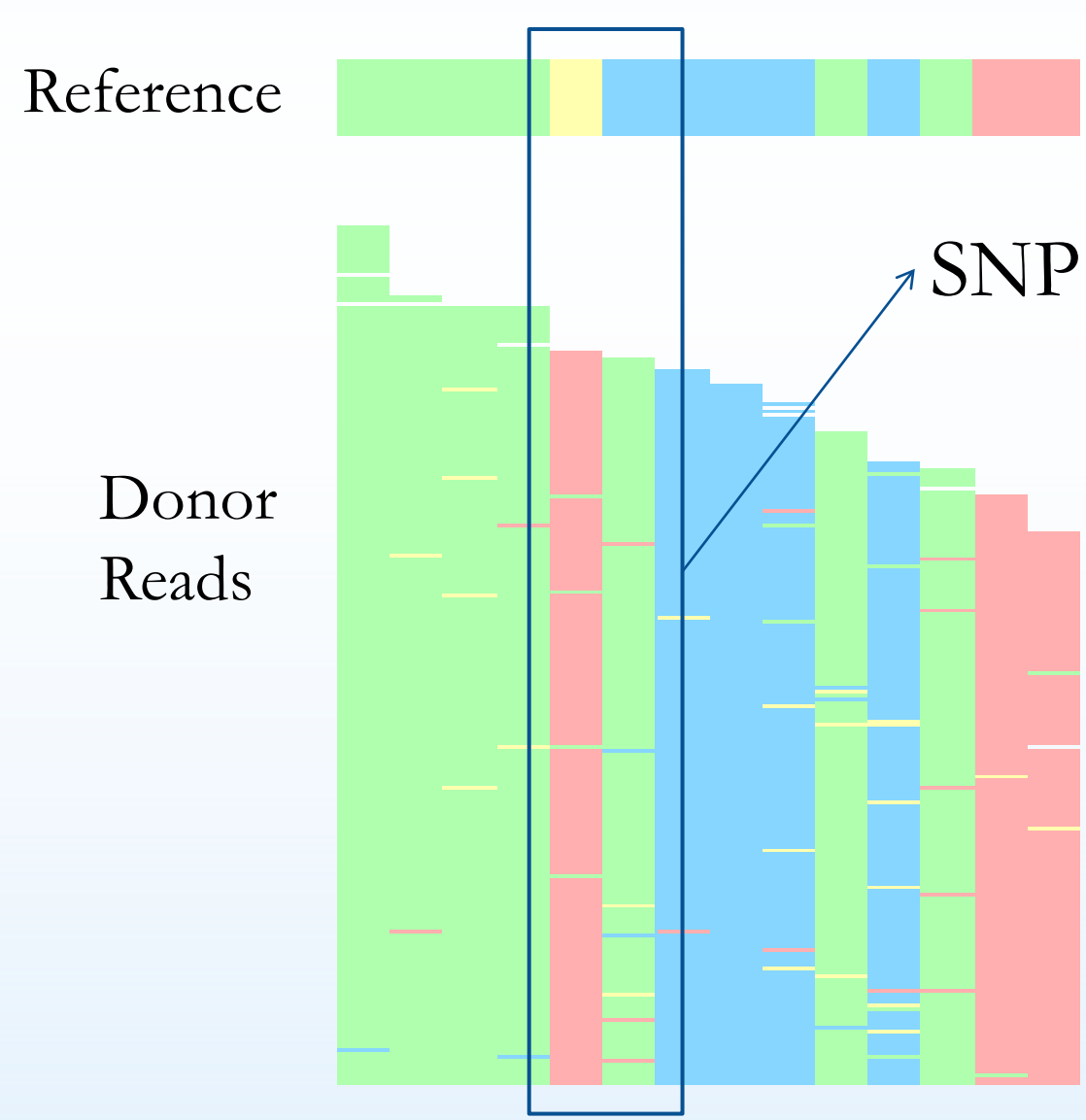
### Color Space Properties

In color-space, a color is given for each pair of base-pairs (bp). There are 4 colors for 16 bp combinations, as shown by the matrix to the right. For example, an A followed by a G is represented by the color 2. Certain properties arise:

|   | A | C | G | T |
|---|---|---|---|---|
| A | 0 | 1 | 2 | 3 |
| C | 1 | 0 | 3 | 2 |
| G | 2 | 3 | 0 | 1 |
| T | 3 | 2 | 1 | 0 |

- a sequencing error is a single color change
  - > T212313230313232121311120
  - > T21231323031**0**232121311120
- a SNP represents **two** color changes
  - > TCAGCATCGGCAG**CG**ACTGCACAGG
  - > T21231323031**23**32121311120
- if we translate a color-space read we get the entire sequence wrong after an error
  - > T21231323031**0**232121311120
  - > TCAGCATCGGCAG**AGCTGACGTGTC**C

These properties may allow us to call SNPs in clear cases. Below we give examples with color-space reference and reads. In the first example the donor reads give a strong, clear signal. The **more realistic** second example shows a more complicated situation.



## Results

For now, we ran VARiD on a color-space datasets from JCVI, with Sanger validation. All of the datasets resulted in similar performance of 83-87% True Positives (real SNPs called) and few False Positives (non-var called as SNPs) i.e. around 10-15% of calls, 0.02% of nucleotides. We note that the results were very similar to running the Corona Lite pipeline, a software from AB SOLiD specifically for color-space reads. Upon manual inspection, many of the missed calls (by either software) are under low or inaccurate coverage.

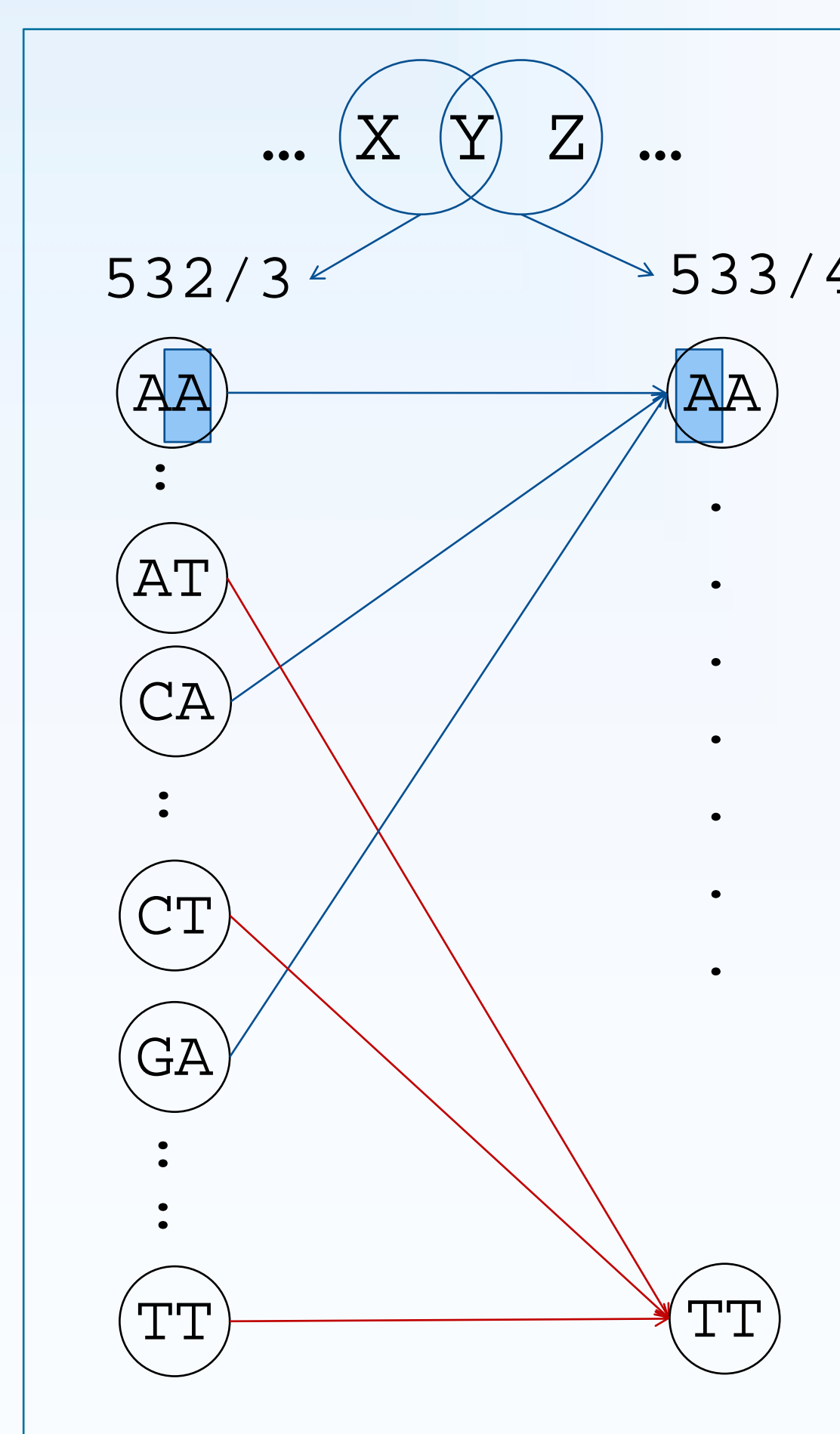
### Example results

|        | NA19137 |    | NA18504 |    |
|--------|---------|----|---------|----|
|        | TP      | FP | TP      | FP |
| VARiD  | 38/44   | 10 | 54/65   | 7  |
| Corona | 39/44   | 10 | 55/65   | 10 |

## Methods

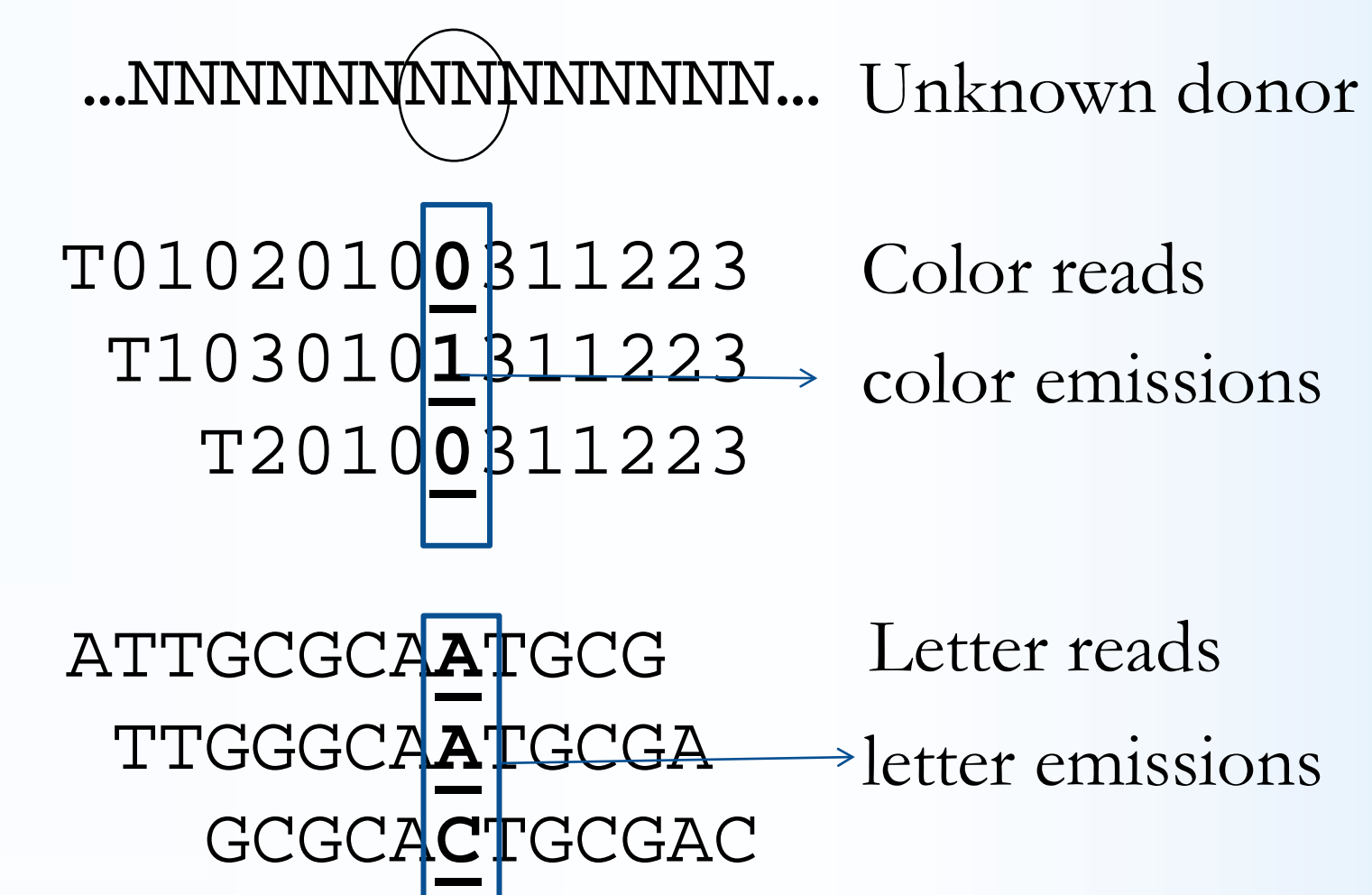
A **Hidden Markov Model** (HMM) is a **statistical** model for a system (which can be in one of various states and can **evolve**). We assume that the system is a **Markov Process** (where a future state depends only on the current state). We cannot see the states directly (they are **hidden**), but we can observe their emission (output).

We apply an HMM to our problem: we don't know the donor at a position (**unknown state**), but we observe reads from the donor (**state's emission**). We detail a model for the underlying letters.



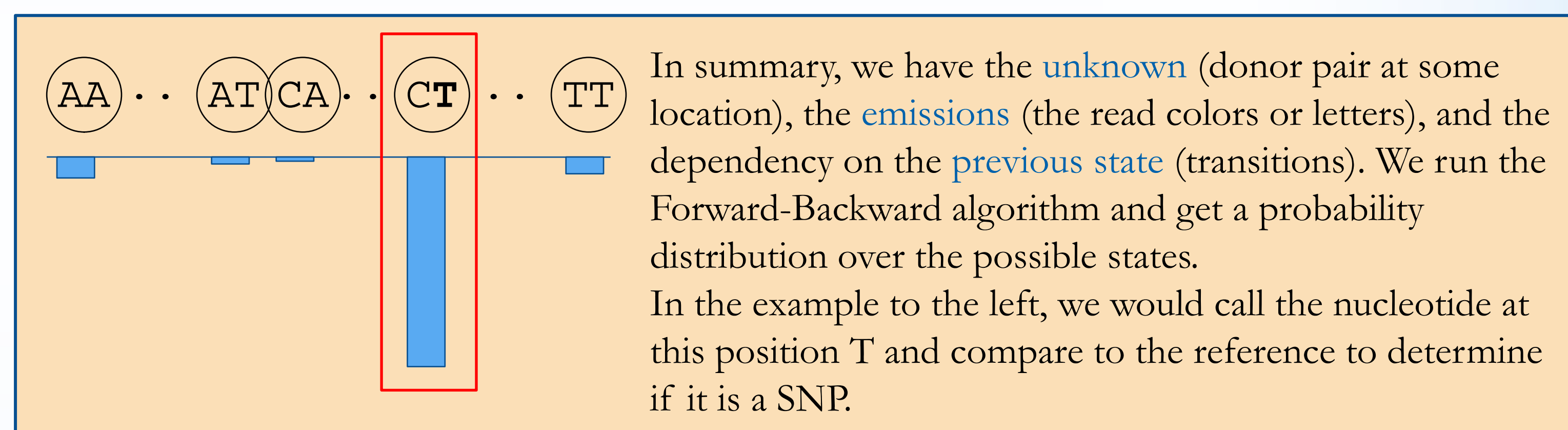
Consider 3 donor positions 532 (X), 533 (Y), and 534 (Z). Nucleotides XY can be any of AA, AC, ...TT, and similarly for YZ. Since Y is shared, we can only transition between a state that ends with the same letter that the next state starts with. For example, from state **AA**, we can only transition to a state that starts with an A. We note that this is a Markov Process: each state depends only on the previous one.

For an unknown donor, we get emissions via reads: colors from color-space reads, and letters from letter-space reads. (N.B. we overlap pairs - therefore we only need one-letter emissions per pair)



| State | Emission  | Probability      |
|-------|-----------|------------------|
| AA    | color 0   | $1 - \epsilon/3$ |
|       | color 1   | $\epsilon$       |
|       | color 2   | $\epsilon$       |
|       | color 3   | $\epsilon$       |
| AA    | letters A | $(1 - \xi)/3$    |
|       | letters C | $\xi$            |
|       | letters G | $\xi$            |
|       | letters T | $\xi$            |

On the left, we see the possible emissions of a state like AA, and the probability that such a state would be emitted. For example, the AA state is very likely to emit the color 0 or letter A, and would only output anything else due to errors.



In summary, we have the **unknown** (donor pair at some location), the **emissions** (the read colors or letters), and the dependency on the **previous state** (transitions). We run the Forward-Backward algorithm and get a probability distribution over the possible states. In the example to the left, we would call the nucleotide at this position T and compare to the reference to determine if it is a SNP.

Next, we **expanded** VARiD to support the following operations:

- to call **small indels**, we add states that can include gaps
- to call **heterozygous SNPs**, we double the size of a state to include two alleles.
- can include a distribution of error rates (and hence quality values)
- we translate through the first color of any color-space read to have letter support in the model

